

CART - the Constituent Oriented Age and Residence time Theory

*A holistic approach to the understanding of the
results of complex marine models*

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<http://www.climate.be/CART>

Motivation

- Make sense of the huge amounts of results produced by complex numerical models;
- Not ignore 99 % of the information (space-time slices of the output) ;
- Drastically reduce the amount of data
- End-users require simple answers / figures

⇒ Holistic methods : Statistics and **timescale analyses** taking into account all/most of the results and all the processes.

Characteristic time scales

Residence time, turnover time, age, transit time, renewal time, flushing time,...

Aim : Quantify the renewal of water masses or input and output of contaminants

- ⇒ Relevant diagnostic for the dynamics of water masses
- ⇒ Relevant diagnostic for pollution issues
- ⇒ Relevant diagnostic for eutrophication problems
- ⇒ ...

Common approaches (1)

- Flushing time :

$$\tau = \frac{\text{Volume}}{\text{Flux}}$$

+ tidal prism and Knudsen estimates

- e-folding time :

$$M(t) = M_0 \exp\left(-\frac{t}{\tau}\right)$$

Common approaches (2)

- Correlation time scale :

$$\tau(x) = \operatorname{argmax}_{\theta} \frac{\langle S(t)C(x, t + \theta) \rangle}{\sqrt{\langle S(t)^2 \rangle} \sqrt{\langle C(x, t)^2 \rangle}}$$

where $S(t)$ = concentration at the source
or incoming flux.

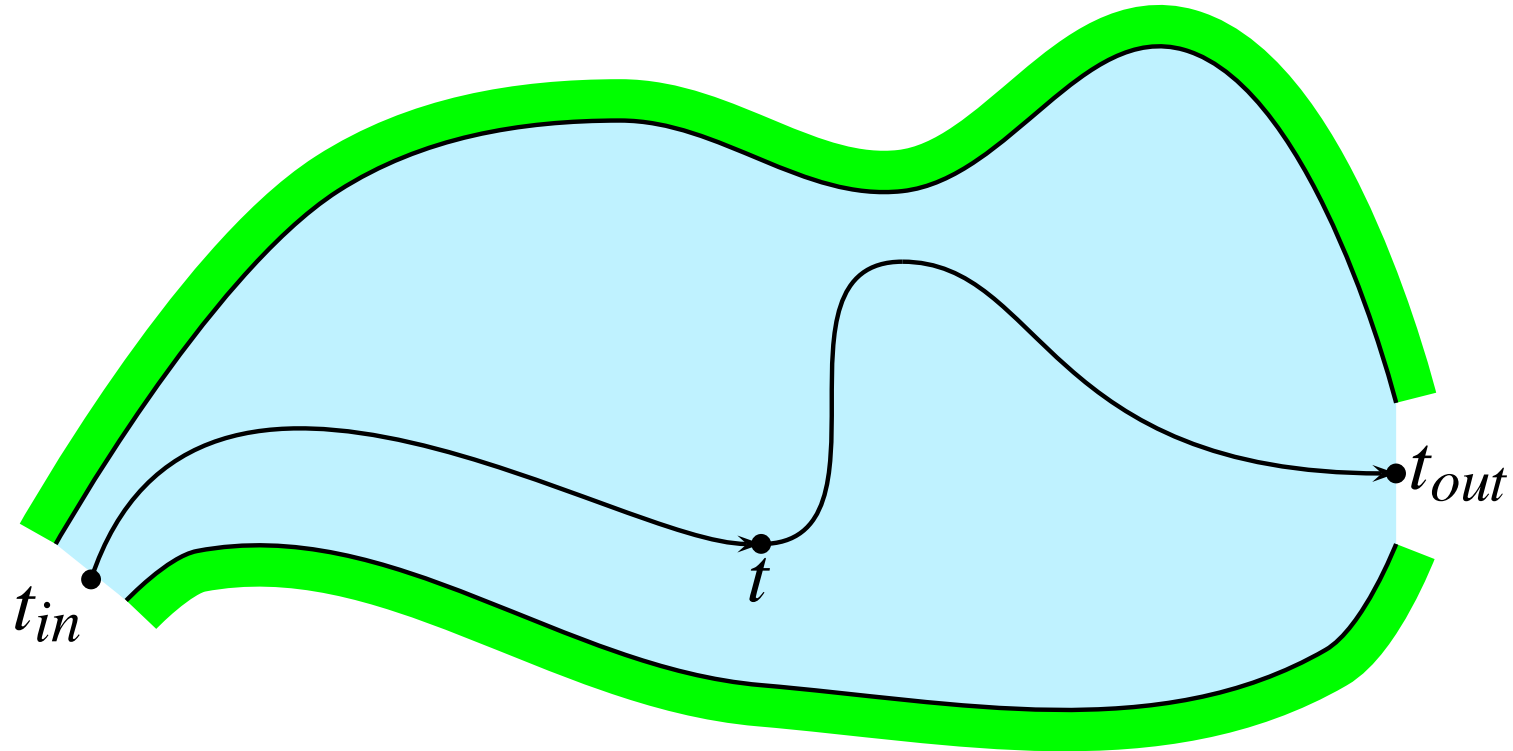
- Radio-age :
Assume $C_{\gamma}(t) \propto e^{-\gamma t}$, then

$$\tilde{a}_{\gamma}(x, t) = \frac{1}{\gamma} \ln \frac{C_0(x, t)}{C_{\gamma}(x, t)}$$

Problems / issues

- Definitions are often unclear / confusion of concepts;
- Diffusion is not properly taken into account;
- Space and/or time dependency;
- Oversimplification of the dynamics;
- A single time scale to describe different tracers.

Some definitions



- Age = $t - t_{in}$
- Residence time = $t_{out} - t$
- Transit time = $t_{out} - t_{in}$